

Decarbonization in the Non-ETS with sector coupling via input-output linkages

Insights from the project

ELECTRO_COUP

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Research questions

- **Sector coupling and the ETS/Non-ETS link in Europe:** carbon reduced in one part of the system (Non-ETS) → higher emissions in another part (ETS) = **Sector coupling** → **linkages** between different sectors.
- **IO linkages with fully integrated energy system:** (i) input-output (IO) linkages in production and (ii) energy demand linkages between ETS and non ETS.
- **The IO linkages:** quantity and price linkages, energy linkages (final → transformation), special case: electricity price (merit order model & IO price model) and CO₂ prices

The macroeconomic IO model

- **IO model based on SUT:**
- **Supply** (industries * goods) \mathbf{V} with column sum = output by goods, $\mathbf{q}(\mathbf{g})$, row sum = output by industries, \mathbf{q}
- **Domestic Use/intermediate** (goods * industries) \mathbf{U}^d and **imported Use/intermediate** (goods * industries) \mathbf{U}^{im}
- **Final demand** \mathbf{F}^d and \mathbf{F}^{im} (goods * final demand components), **domestic (d)** and **imported (im)** goods.
- Two main equations (solution in a loop): $\mathbf{q} = \mathbf{D} \mathbf{q}(\mathbf{g})$ and $\mathbf{q}(\mathbf{g}) = \mathbf{B}^d \mathbf{q} + \mathbf{c}p^d + \mathbf{c}f^d + \mathbf{f}^{*d}$, with technical coefficients \mathbf{B}^d , private consumption $\mathbf{c}p^d$, gross capital formation $\mathbf{c}f^d$, and other final demand \mathbf{f}^{*d} .

The macroeconomic IO model

- **IO model for energy system:**
- **SUT framework**, where the '*industries*' are the eight **transformation processes** t and the goods are the 26 types of energy k
- Main equations for **output, supply and use**:
- $\mathbf{q} = \mathbf{D}(\mathbf{k}) \mathbf{q}(\mathbf{k}, \mathbf{T})$, $\mathbf{x}(\mathbf{k}) = \mathbf{B}_{\mathbf{k},\tau} \mathbf{q} + \mathbf{f}\mathbf{e} + \mathbf{e}\mathbf{x} + \mathbf{f}^{*,\mathbf{k}}$ and
- $\mathbf{q}(\mathbf{k}) = \mathbf{x}(\mathbf{k}) - \mathbf{i}\mathbf{m}$; $\mathbf{q}(\mathbf{k}, \mathbf{T}) = \mathbf{T}_{\mathbf{P},\mathbf{T}} \mathbf{q}(\mathbf{k})$
- Total **use/supply of** k $\mathbf{q}(\mathbf{k})$, output (\mathbf{k}) from **transformation** $\mathbf{q}(\mathbf{k}, \mathbf{T})$, and output by **process** t , \mathbf{q} .
- **Final energy** $\mathbf{f}\mathbf{e}$ and $\mathbf{f}^{*,\mathbf{k}}$ (transport losses, stock changes, non-energetic use)

The macroeconomic IO model

- **Production costs and prices** of output q with inputs of capital (K), labour (L) and intermediates (M), and exogenous import prices ($p(im)$), L and K can be substituted (CES in **composite LK**), plus a trend for M + mark-up and net indirect taxes \rightarrow output prices, p .
- $$p' = [(p'_L \hat{L} + p'_K \hat{K} + p^{d'} B^d + p^{im'} B^{im})(1 + \mu)] + t_q'$$
- **IO technical coefficients** for non-energy goods in B^d and B^{im} are the product of $\frac{\hat{M}}{Q}$ and fixed matrices (**Leontief technology**) within $\frac{\hat{M}}{Q}$.

The macroeconomic IO model

- **Capital income coefficient** per unit of output is derived as the difference between the output price and marginal cost, plus indirect taxes.
- Wages = nominal labour coefficients/net of taxes * output
- Profits = nominal capital income coefficients/net of taxes * output
- **Primary household net income** with t_Y as net tax rate and s_Y as profit share of households: $\mathbf{y}' = [\lambda(1 - t_Y)]'\hat{\mathbf{q}} + [s_Y\kappa(1 - t_Y)]'\hat{\mathbf{q}}$
- **Disposable household income** with Y_p as other income (property, etc.): $YD = \mathbf{y}'\mathbf{i} + Y_p$

The macroeconomic IO model

- **Consumer price index (PC)**: aggregate Divisia price index of expenditures: (i) **energy en** (heating), (ii) **personal transport tr** , and (iii) **non-energy consumption nen** :
$$\ln(PC) = w_{en,cp} \ln(p_{en,cp}) + w_{tr,cp} \ln(p_{tr,cp}) + w_{nen,cp} \ln(p_{nen,cp})$$
- **Aggregate real private consumption**: with c_Y as the average propensity of consumption: $CP = c_Y [\mathbf{y}'\mathbf{i} + Y_p] / PC$
- **Full separability** between energy/transport consumption and non-energy consumption \rightarrow non-energy consumption as the difference: $CP_{nen} = CP - CP_{en} - CP_{tr}$
- **Cobb-Douglas preferences** with constant budget shares

The macroeconomic IO model

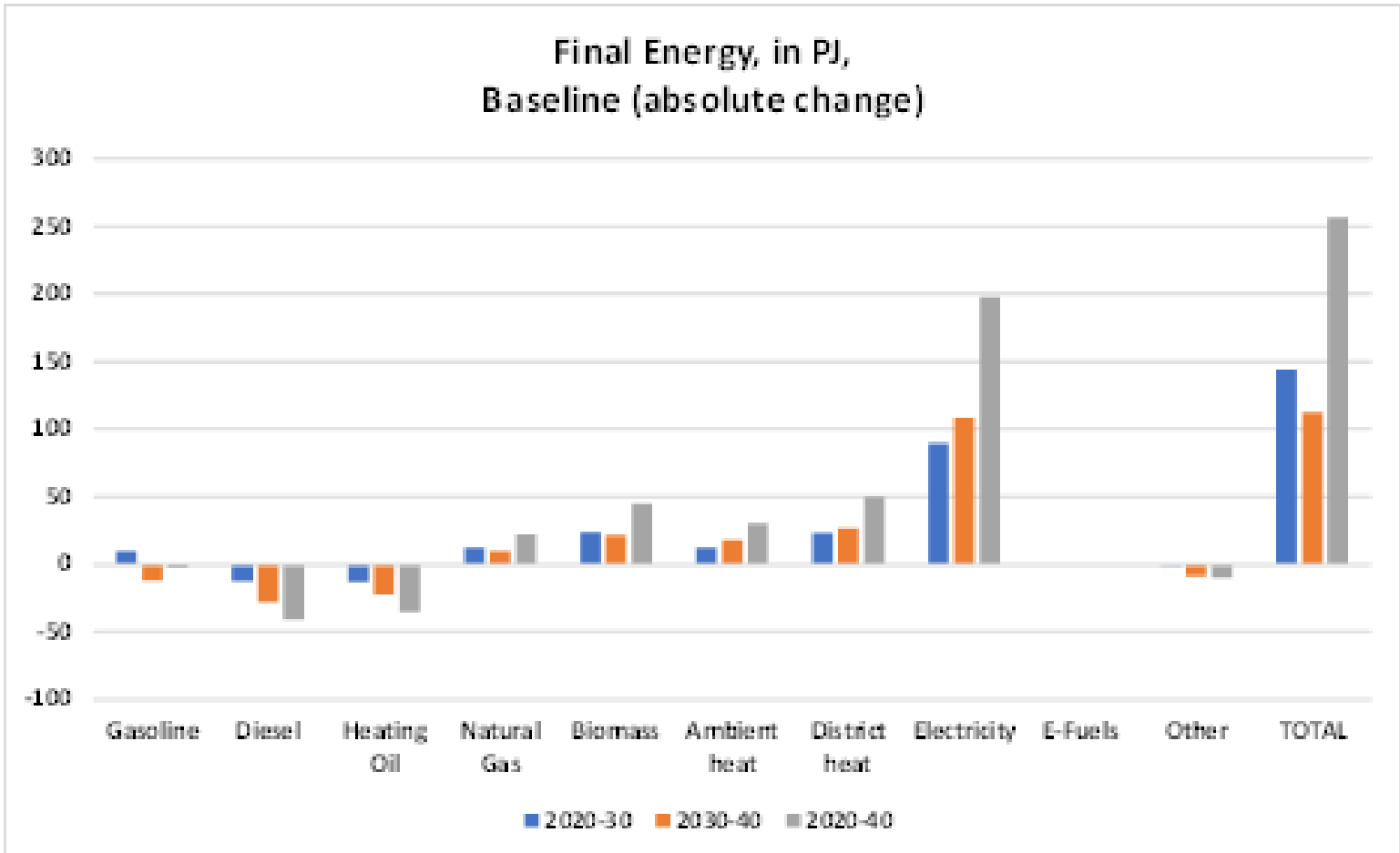
- **Final energy demand of households, heating**: part of final energy $fe \rightarrow$ monetary expenditure (IO classification) with *'implicit prices'* \rightarrow part of CP_{en} (+ heating appliances, investment in thermal insulation)
- **Final energy demand of households, transport**: total **person-km** by households \rightarrow **total** expenditure on **transport**, CP_{tr} plus purchases of **vehicles** (total), by **drive** (discrete choice models) and **energy** use (fleet efficiency and behaviour)
- **Final energy demand**: output (Q) demand and energy (En) by energy type (k), **Kaya-identity**: $(En_k/Q) = (En_k/Q_k) * (Q_k/Q)$, $En_k/Q_k =$ **efficiency** in process k , and $Q_k/Q =$ **output share** of process k in total output Q . $En_k/Q \rightarrow$ monetary units

The macroeconomic IO model

- **Energy transformation**: fixed technical coefficients for energy inputs (f) for **coke oven, refinery, blast furnace**
- **Energy transformation in electricity and steam**: technical coefficients for energy inputs (k) = $(E_k/Q_k) * (Q_k/Q)$, the product of **fixed technologies by k** and **output shares by k** (e.g.: electricity produced out of k)
- **Input of L and K** : fixed coefficients for coke oven, refinery, blast furnace and technology specific (k) for electricity and steam.
- **Prices of electricity**: cost shares, mark-up plus (additional) **ETS permit costs**

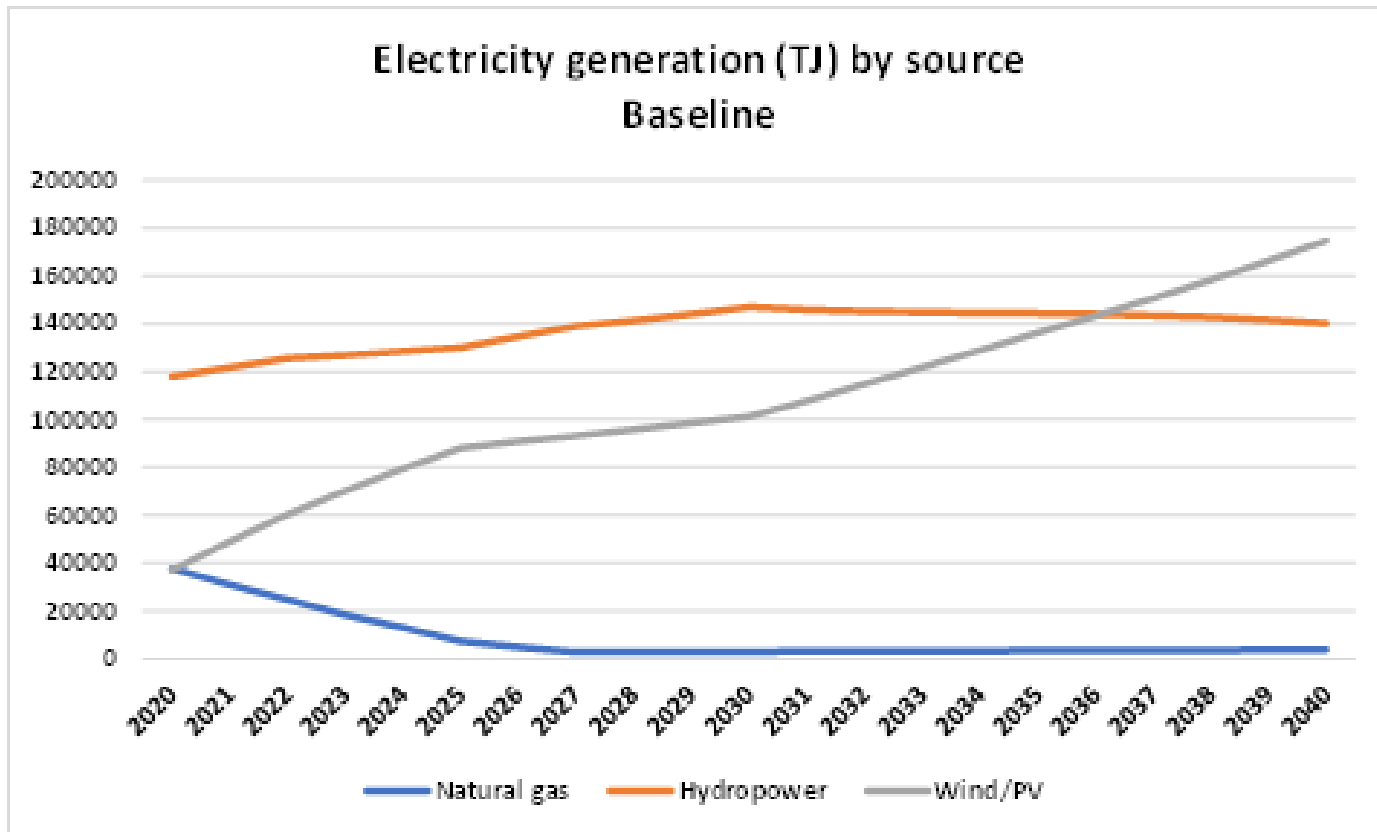
Baseline

- Final energy (change in PJ) by type of energy, 2022 - 40 in “Base”



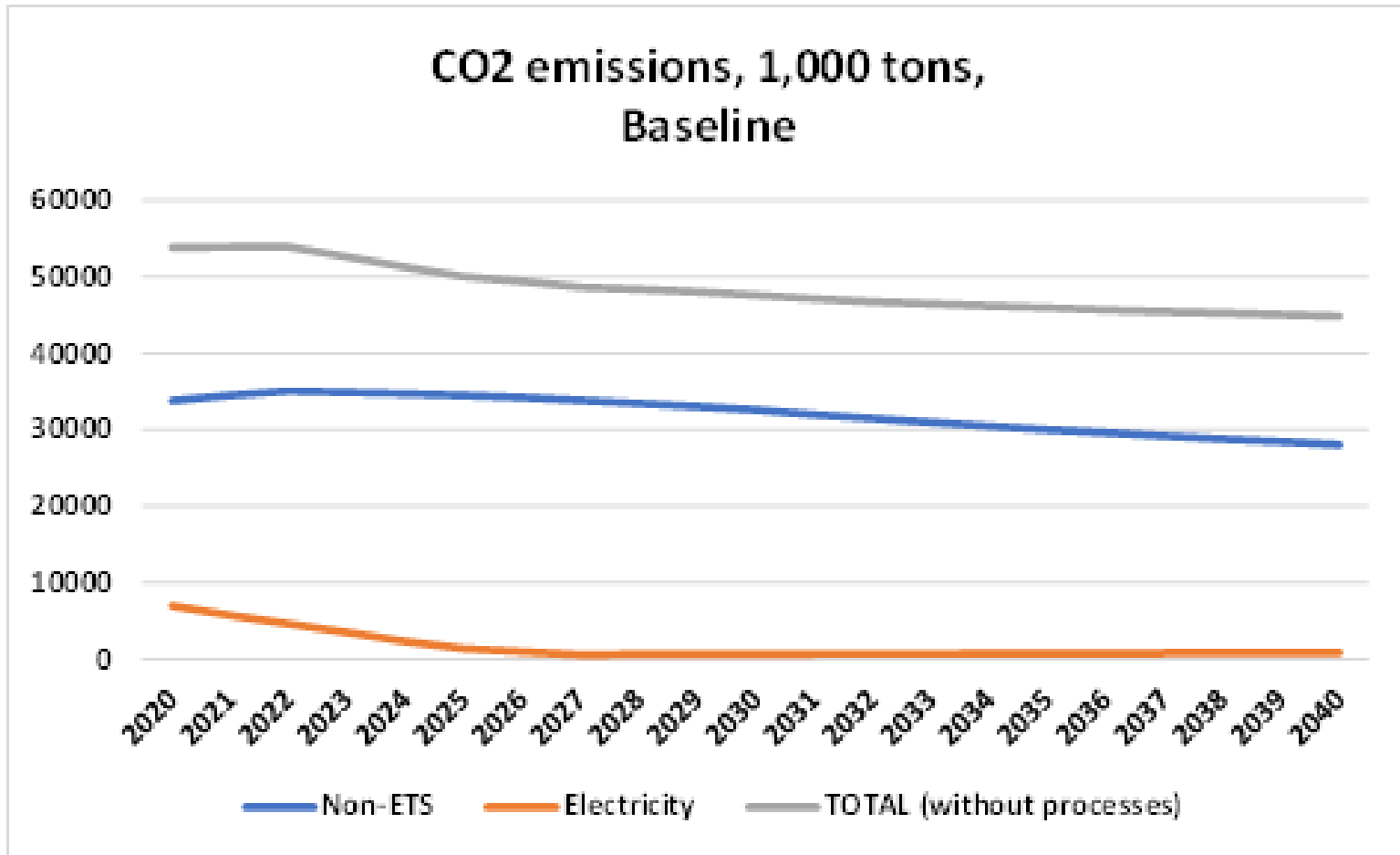
Baseline

- Electricity generation (in TJ) by main sources, 2022 - 40 in “Base”



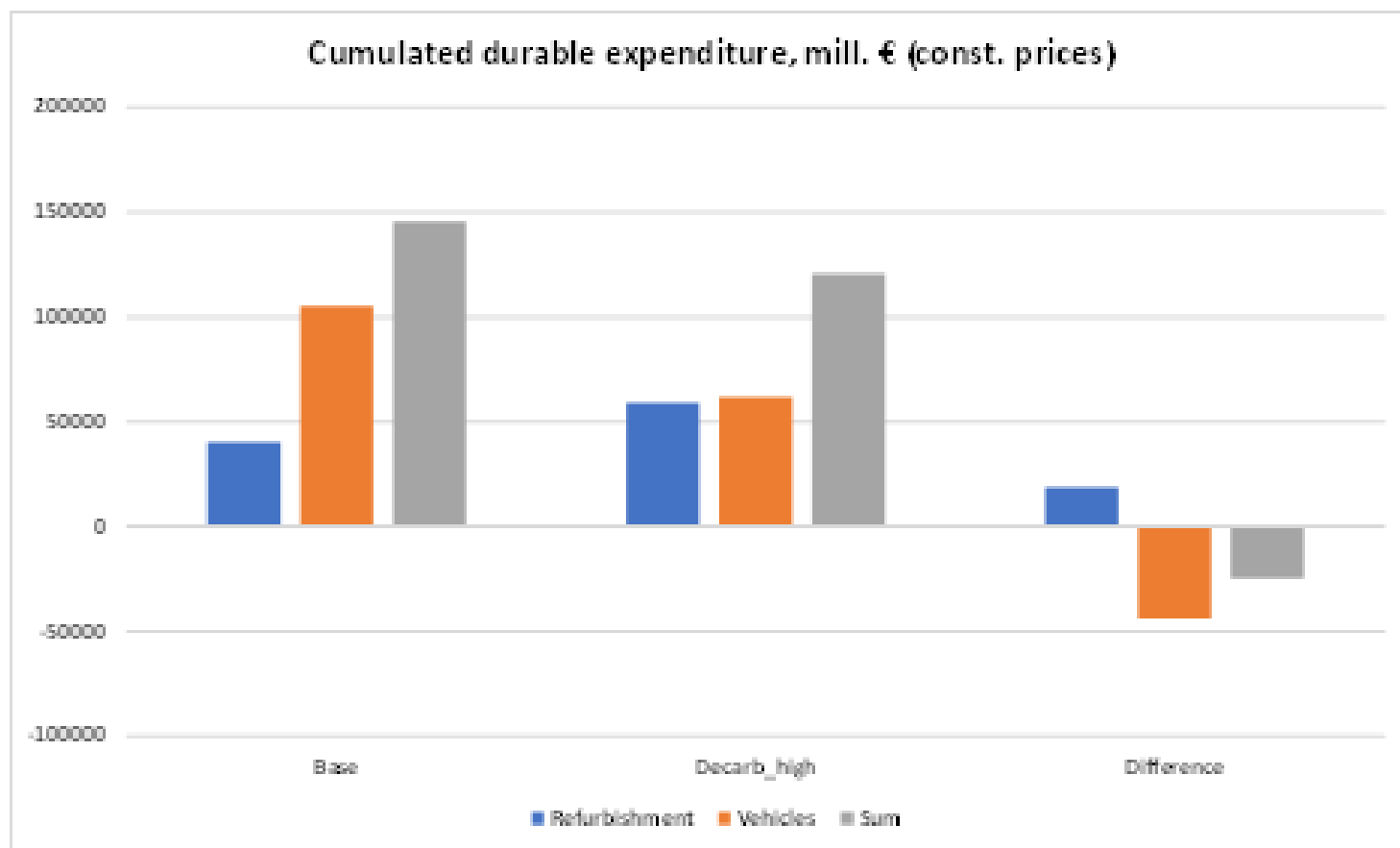
Baseline

- CO₂ emissions (in 1,000 t), 2022 - 40 in “Base”



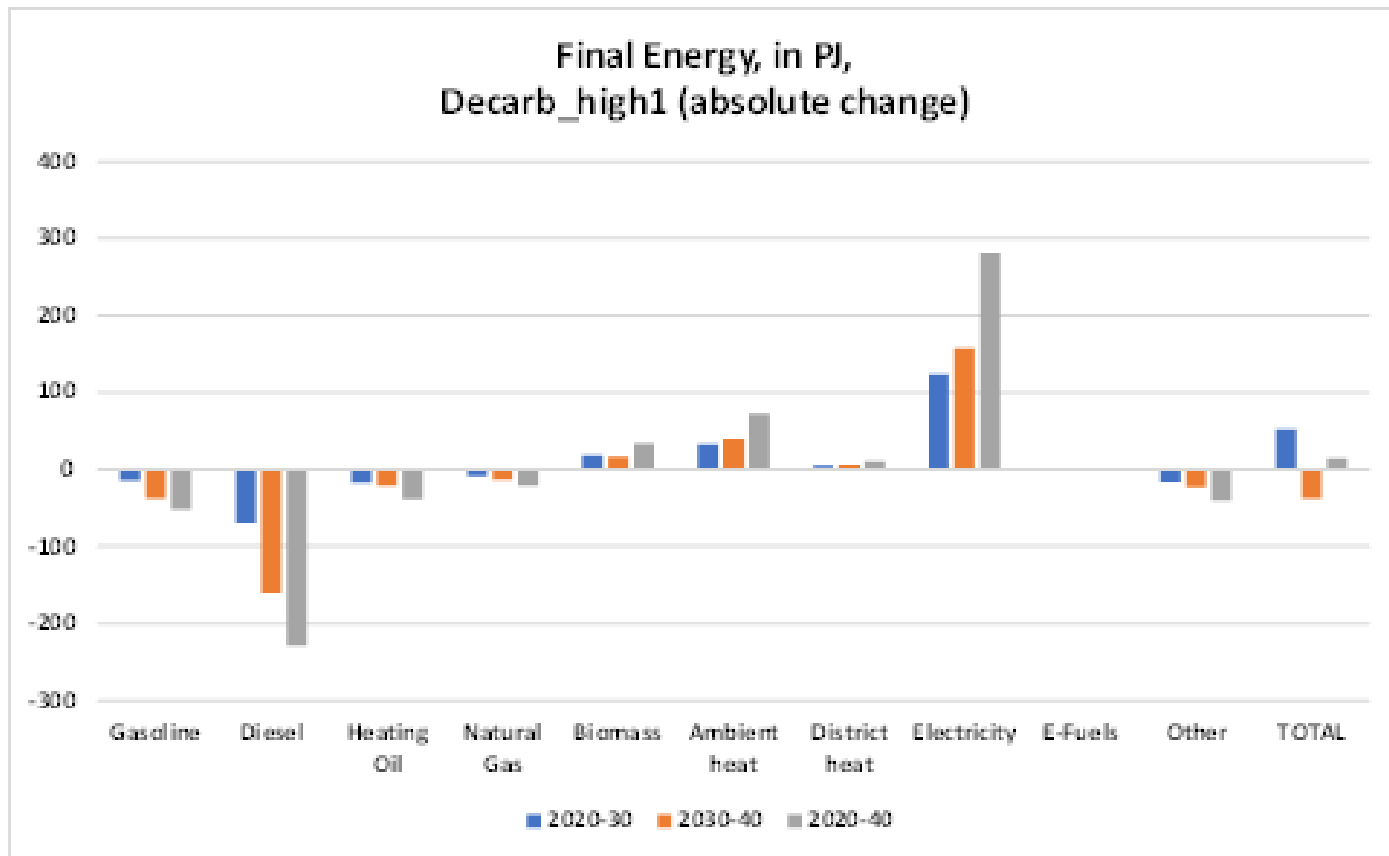
Scenario “Decarbonization 2040 –high system efficiency”

- Household durable expenditure (in mill €, const. prices), 2022 - 40 in “Decarb_high”



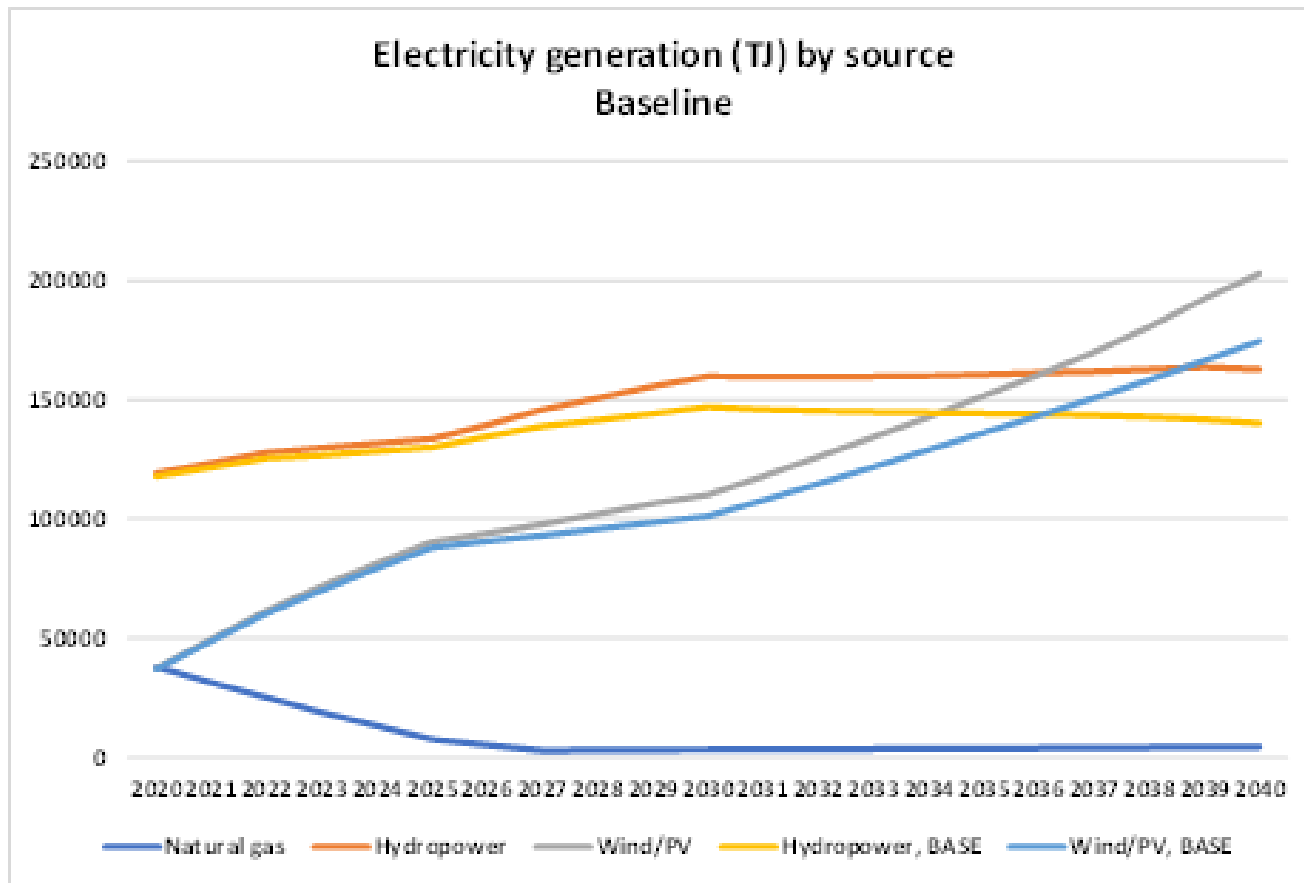
Scenario “Decarbonization 2040 –high system efficiency”

- Final energy (change in PJ) by type of energy, 2022 - 40 in “Decarb_high”



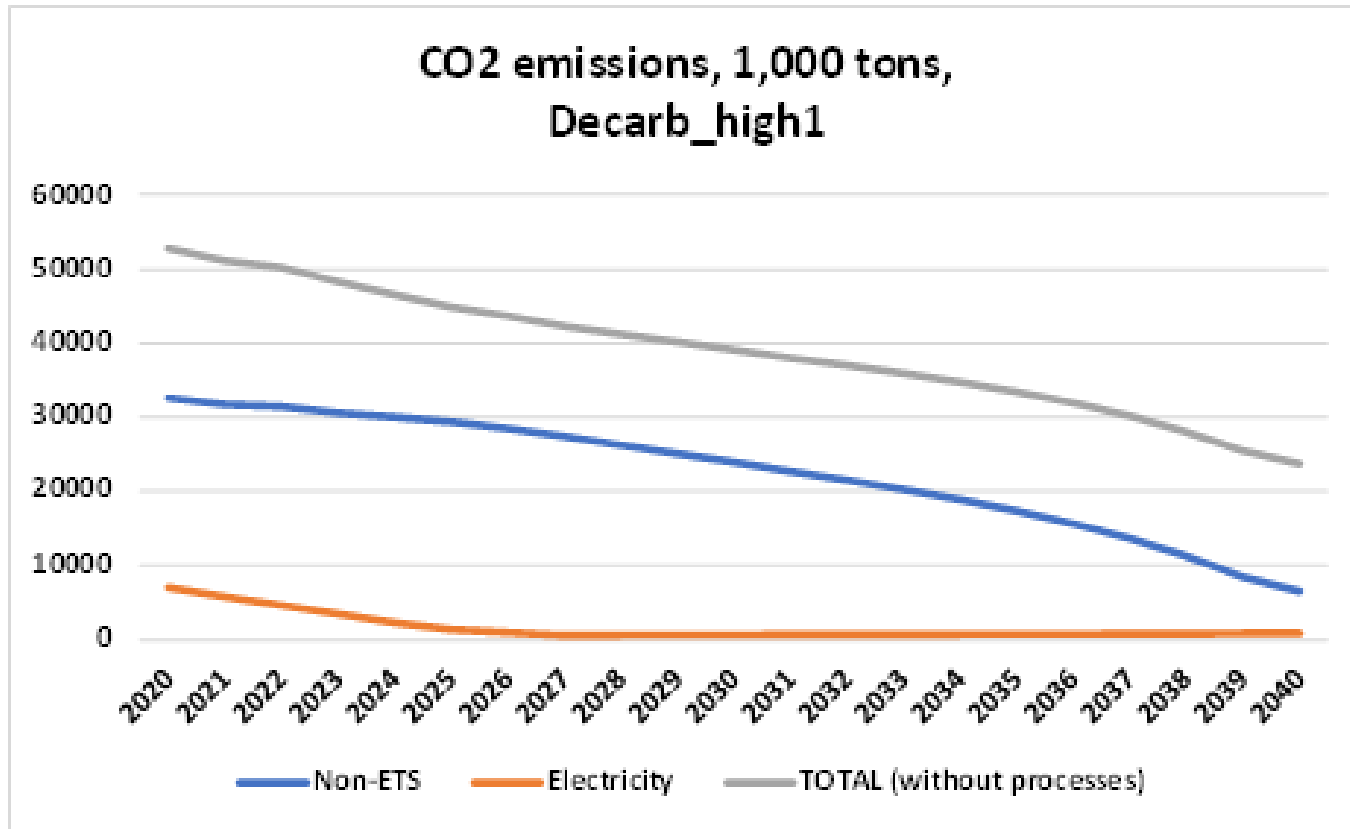
Scenario “Decarbonization 2040 –high system efficiency”

- Electricity generation (in TJ) by main sources, 2022 - 40 in “Base” and “Decarb_high1”



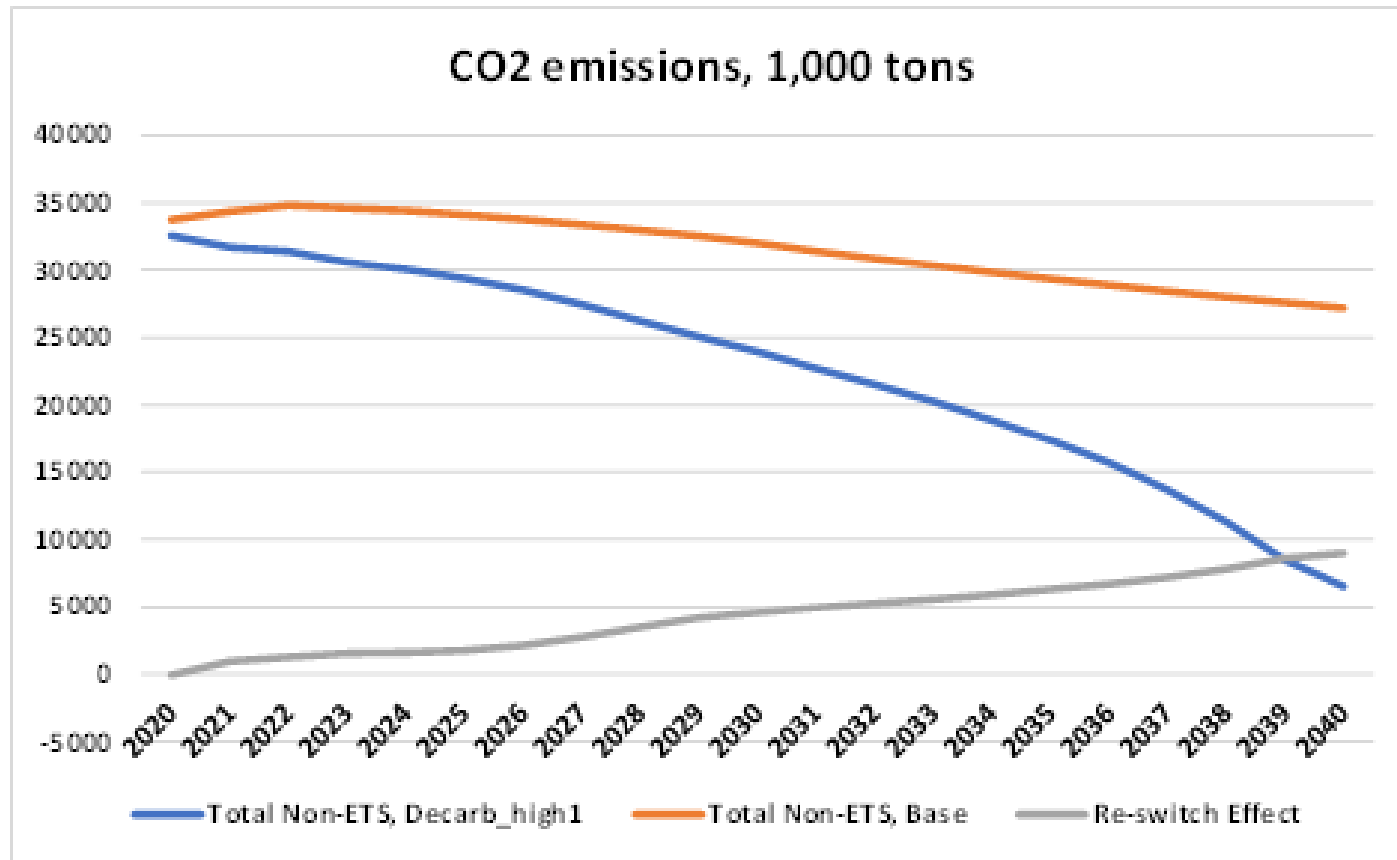
Scenario “Decarbonization 2040 –high system efficiency”

- CO₂ emissions (in 1,000 t), 2022 - 40 in “Decarb_high1”



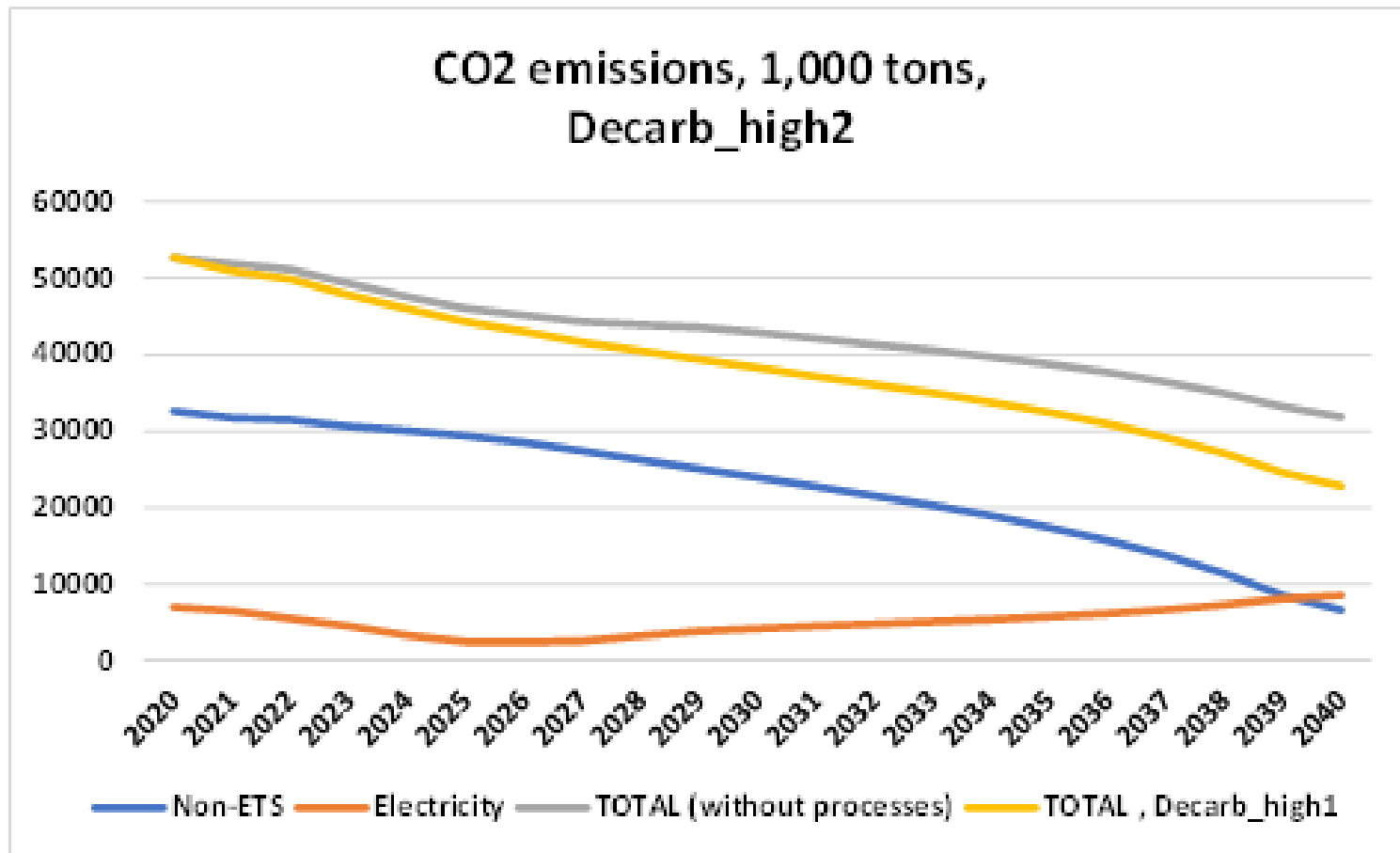
Scenario “Decarbonization 2040 –high system efficiency”

- CO₂ emissions (in 1,000 t), 2022 – 40, the **‘re-switch’ effect** in “Decarb_high2”



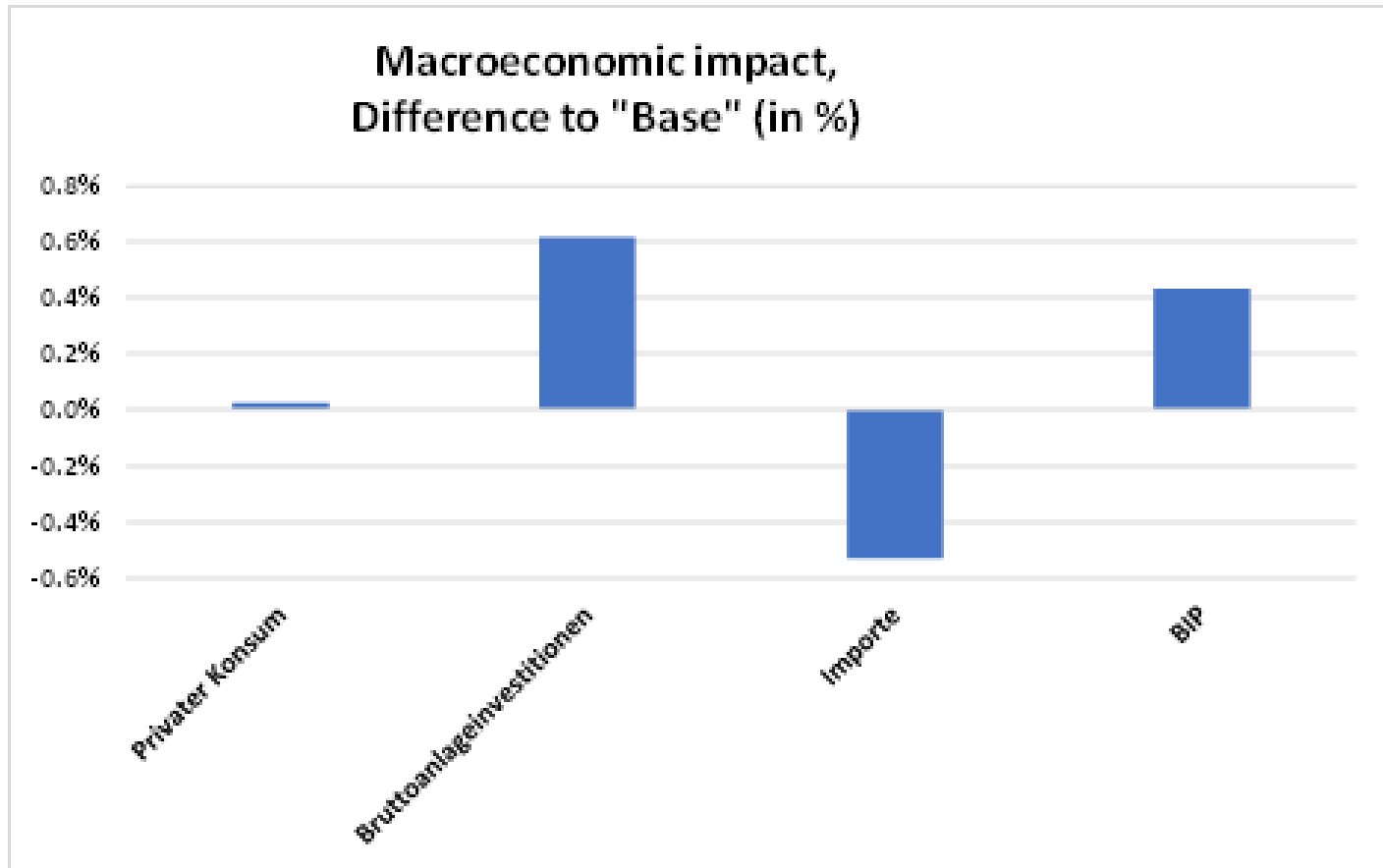
Scenario “Decarbonization 2040 –high system efficiency”

- Total CO₂ emissions (in 1,000 t), 2022 - 40 in “Decarb_high2”



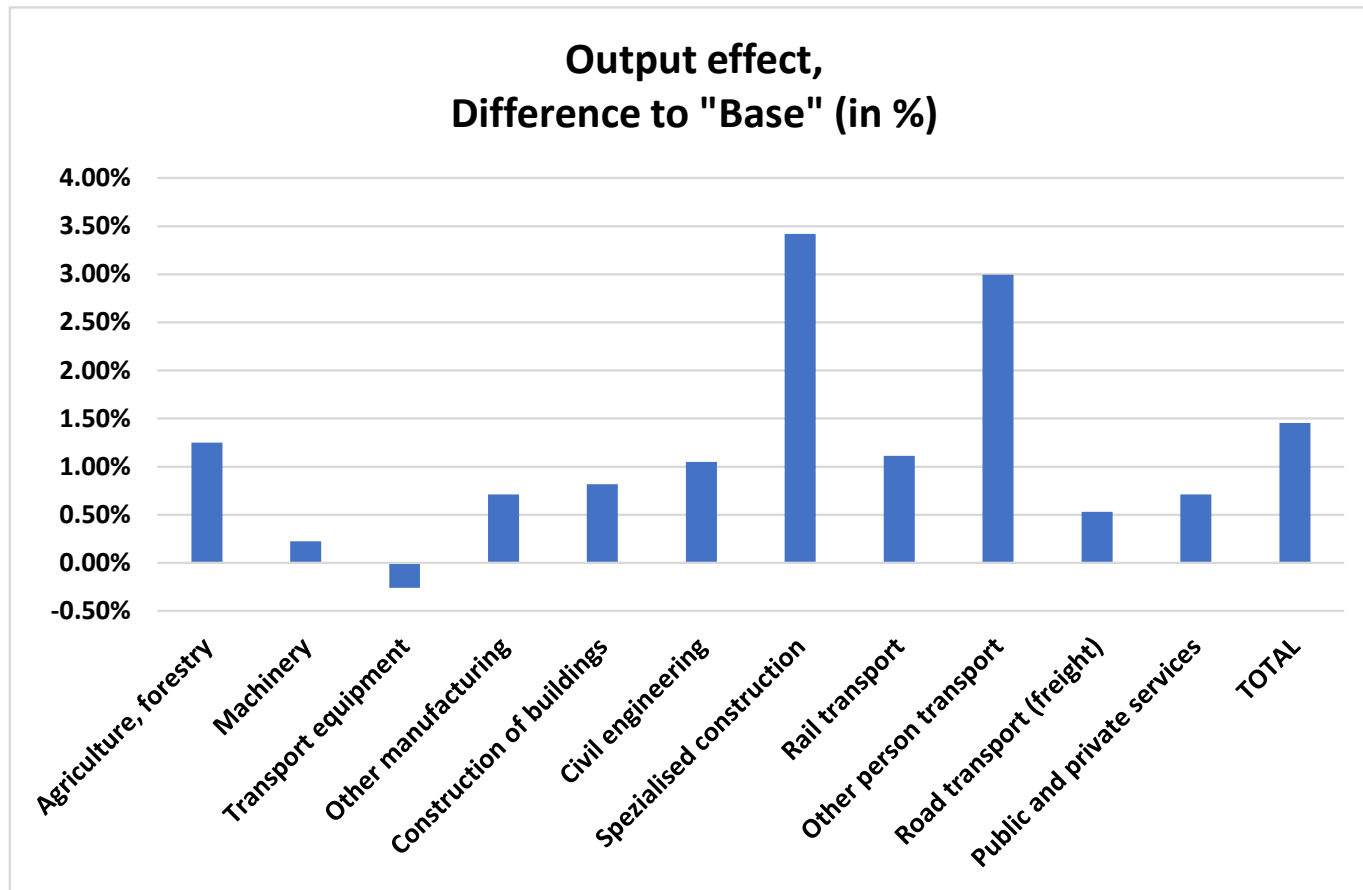
Scenario “Decarbonization 2040 –high system efficiency”

- Macroeconomic impact (in %), ‘Decarb_high2’ compared to ‘Base’



Scenario “Decarbonization 2040 –high system efficiency”

- Gross output impact (in %), ‘Decarb_high2’ compared to ‘Base’



Scenario “Decarbonization 2040 –high system efficiency”

- Gross employment impact (in persons, FTE), ‘Decarb_high2’ compared to ‘Base’

